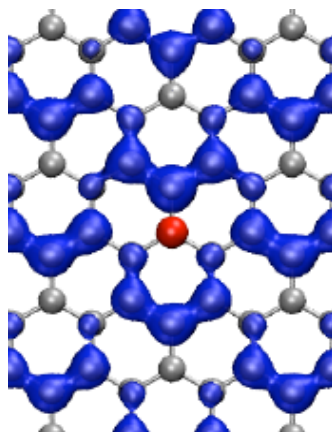


Site-selective chemical control of nanotube's conductivity



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European Theoretical Spectroscopy Facility

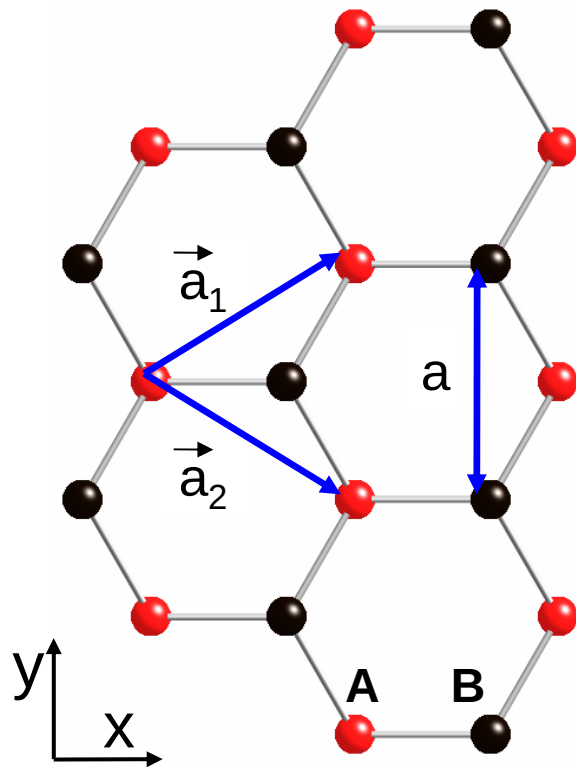
1. Motivation
2. Introduction
3. Calculation Results
4. A simple model to explain the results
5. Outlook

SANES

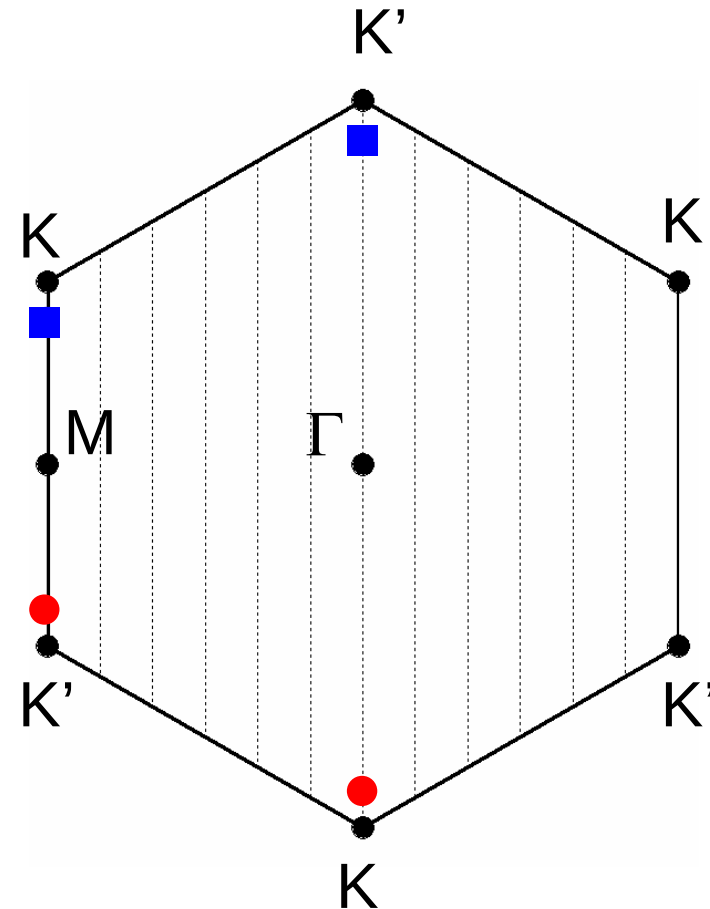
Integrated Self-Adjusting NanoElectronic Sensors

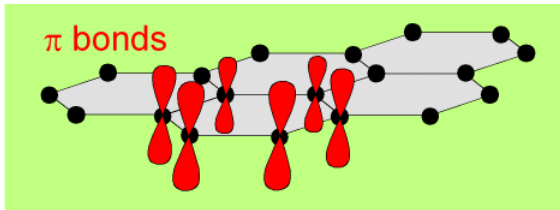
- Main goal: Develop a new integrated self-adjusting nanoelectronic gas sensor based on functionalized carbon nanotubes as active elements.
- Change in conductivity of nanotubes in presence of different gases.
- Sensitivity and selectivity.
- Members: University of Szeged, Rensselaer Polytechnic Institute, University of Oulu, Max-Planck Institute, Laserprobe LP Oy and University of Pais-Vasco.
- Our work: Theoretical models.

Graphene lattice

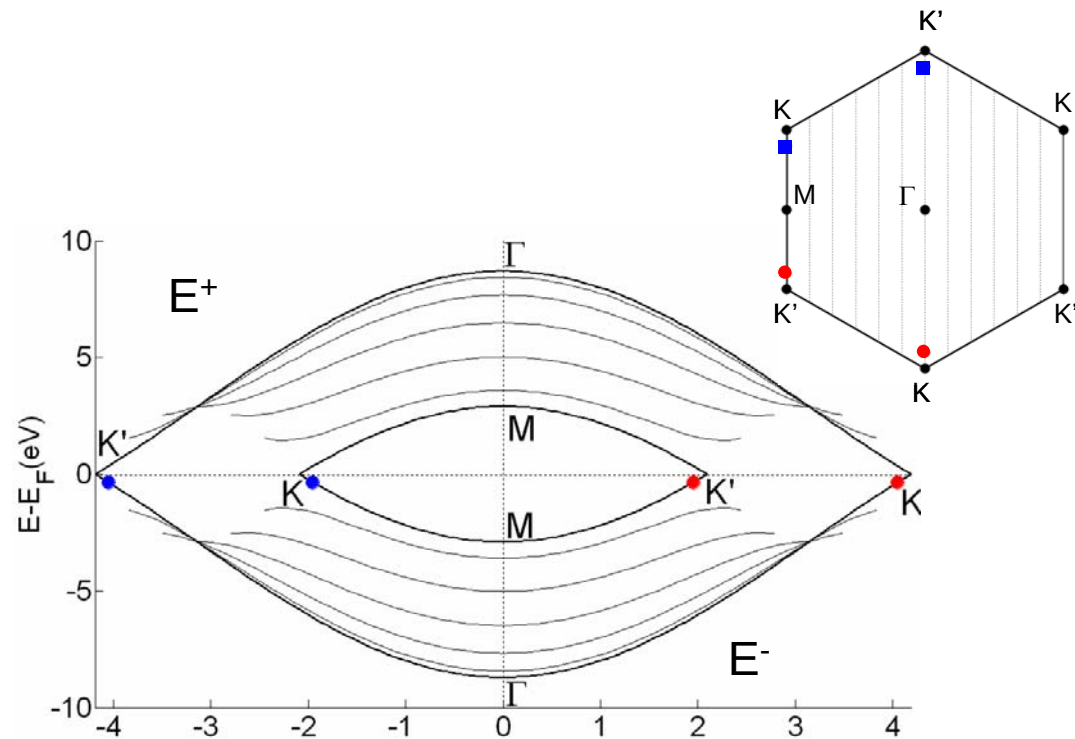
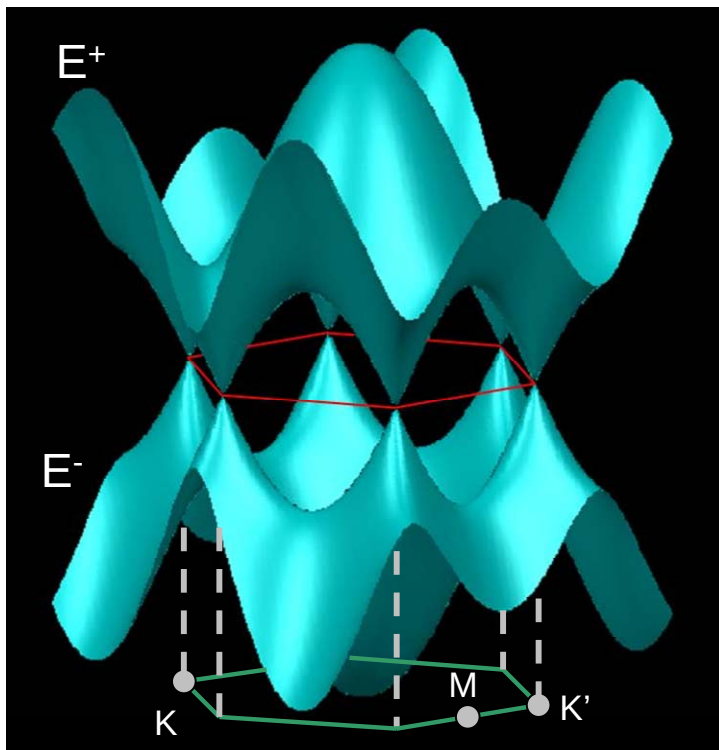


Brillouin Zone



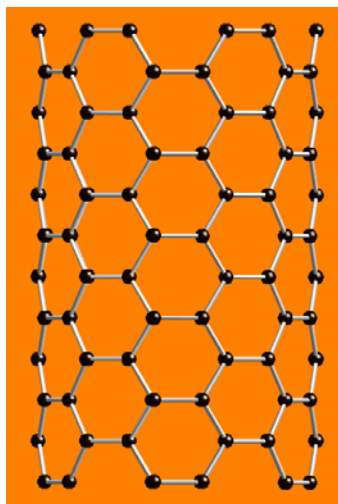


$$E^{\pm}(\vec{k}) = \pm \gamma_0 \sqrt{1 + 4 \cos \frac{\sqrt{3} k_x a}{2} \cos \frac{k_y a}{2} + 4 \cos^2 \frac{k_y a}{2}}$$



There are two available channels to transport electrons

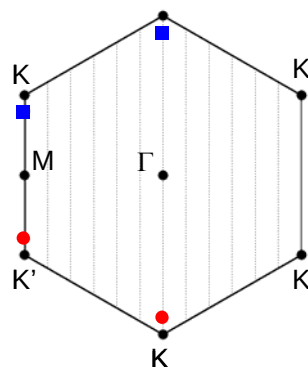
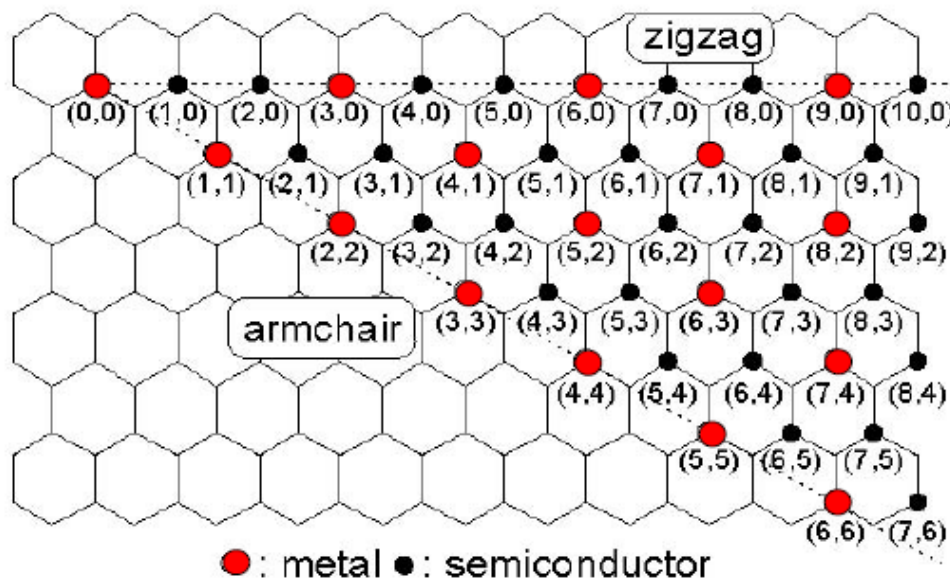
Armchair



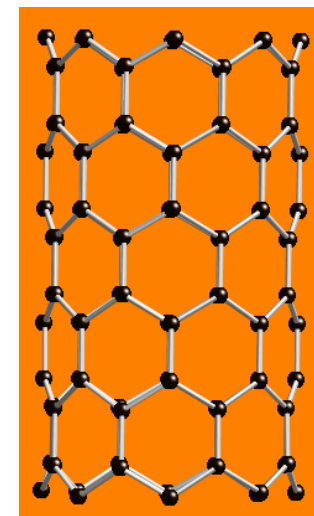
(n,n)

Always
metallic

Metallic only if $n-m=3p$

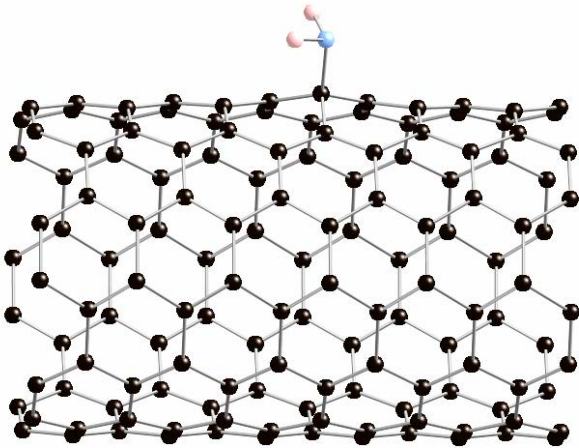


Zigzag



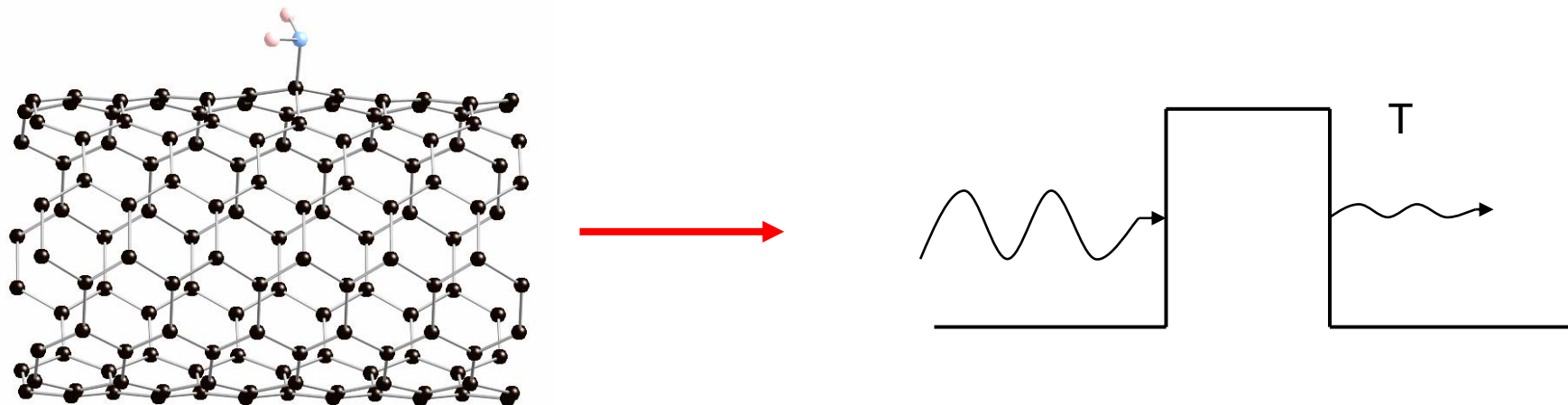
$(n,0)$

Metallic only
if $n=3p$



How does the absorption of a molecule affect the transport properties of a CNT?

1. Geometry optimization (DFT calculations) → Expensive part
2. Transport calculations: Non-equilibrium Green's function formalism



Non-equilibrium Green's function formalism

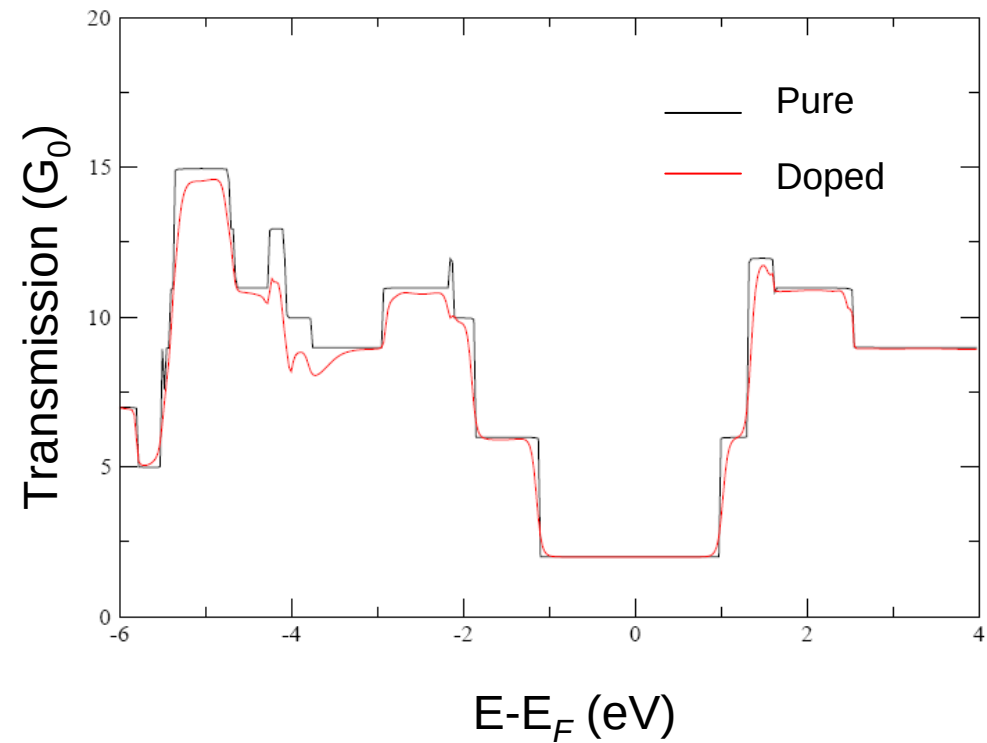
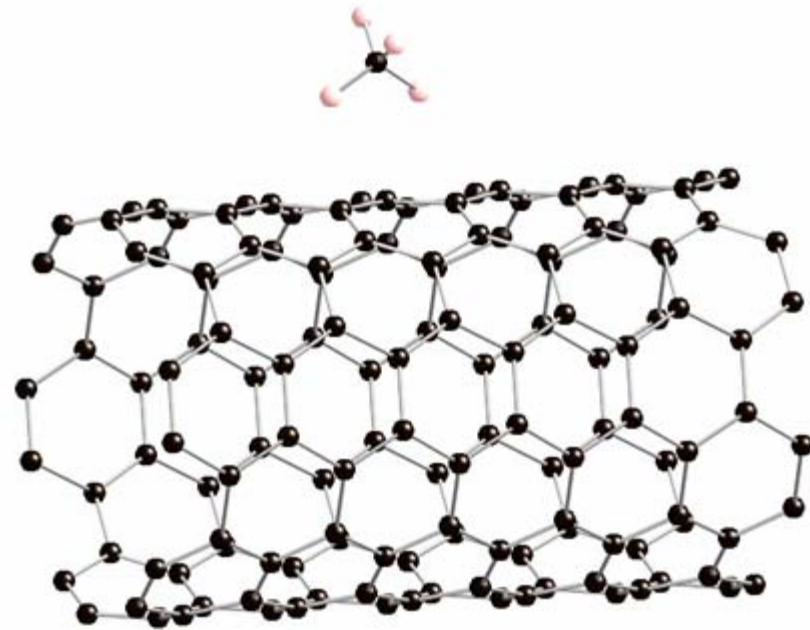
Pure systems

$$G(E) = G_0 N_{\perp}(E)$$

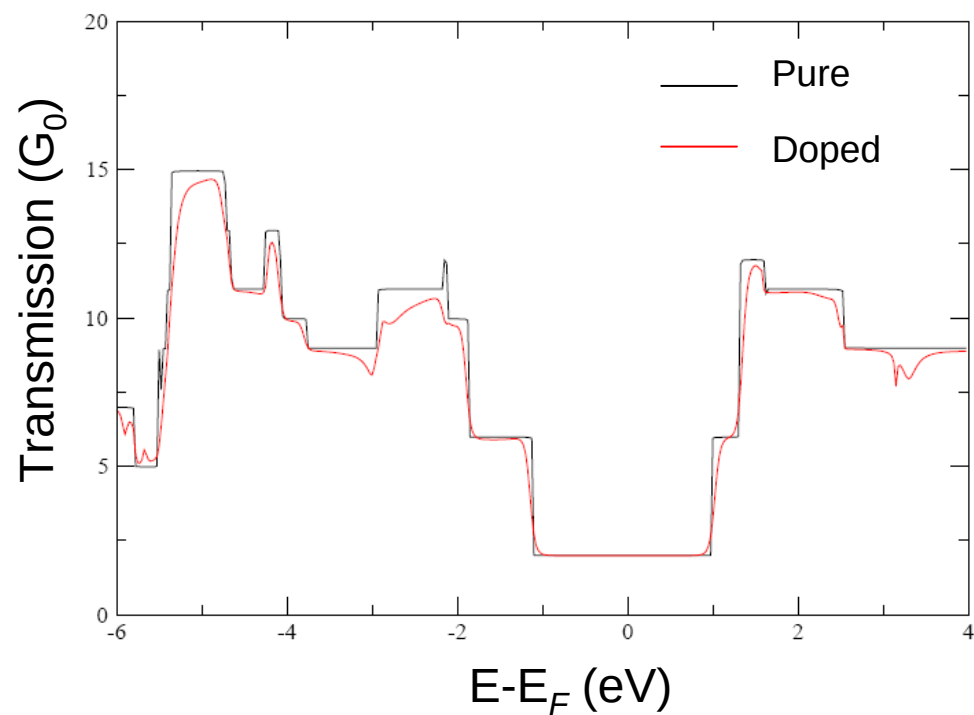
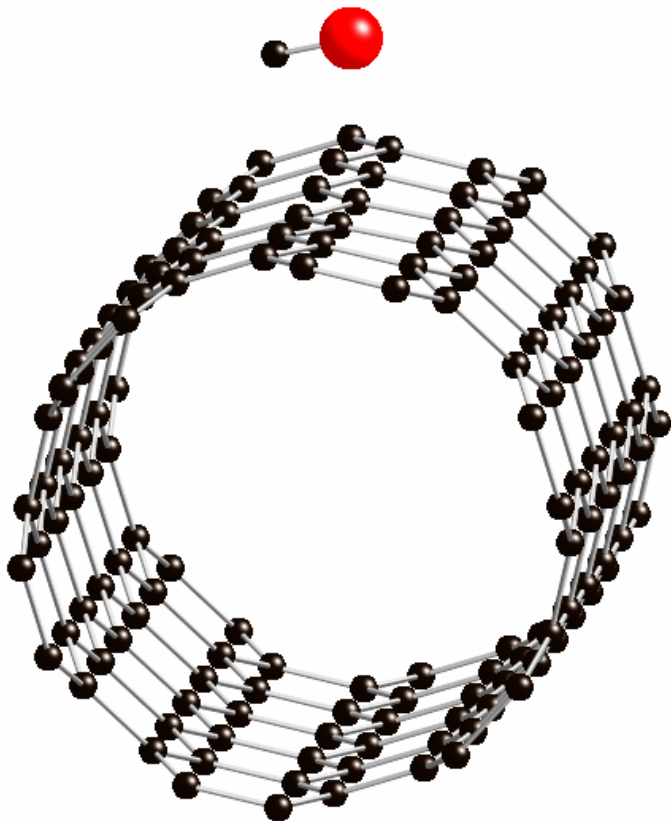
$$G_0 = \frac{2e^2}{h}$$

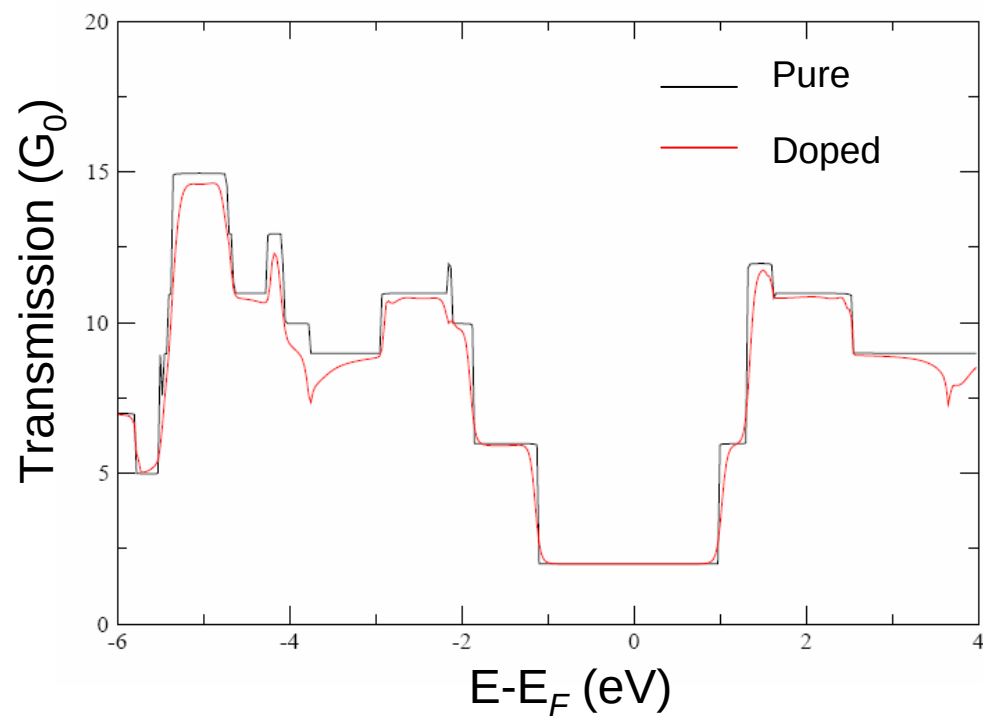
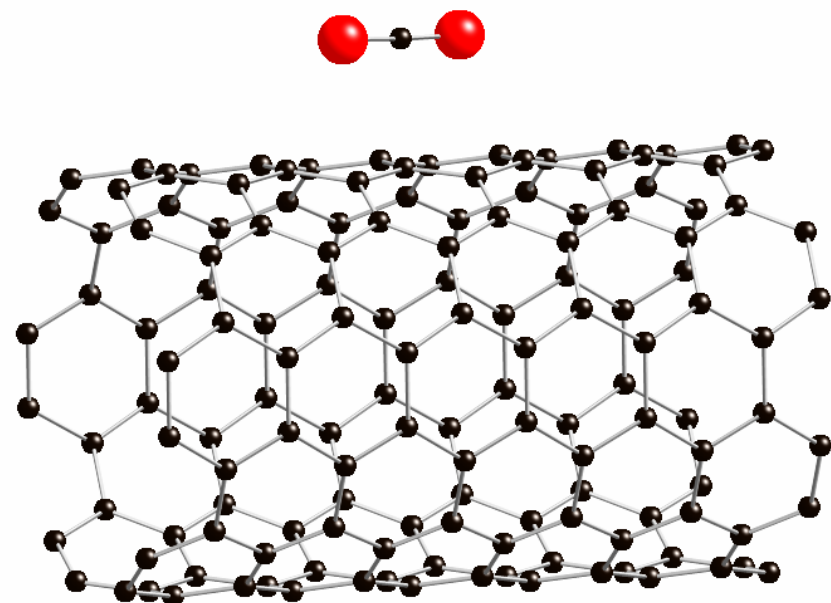
Doped systems

$$G(E) = G_0 \sum_{n=1}^{N_{\perp}} T(E)$$

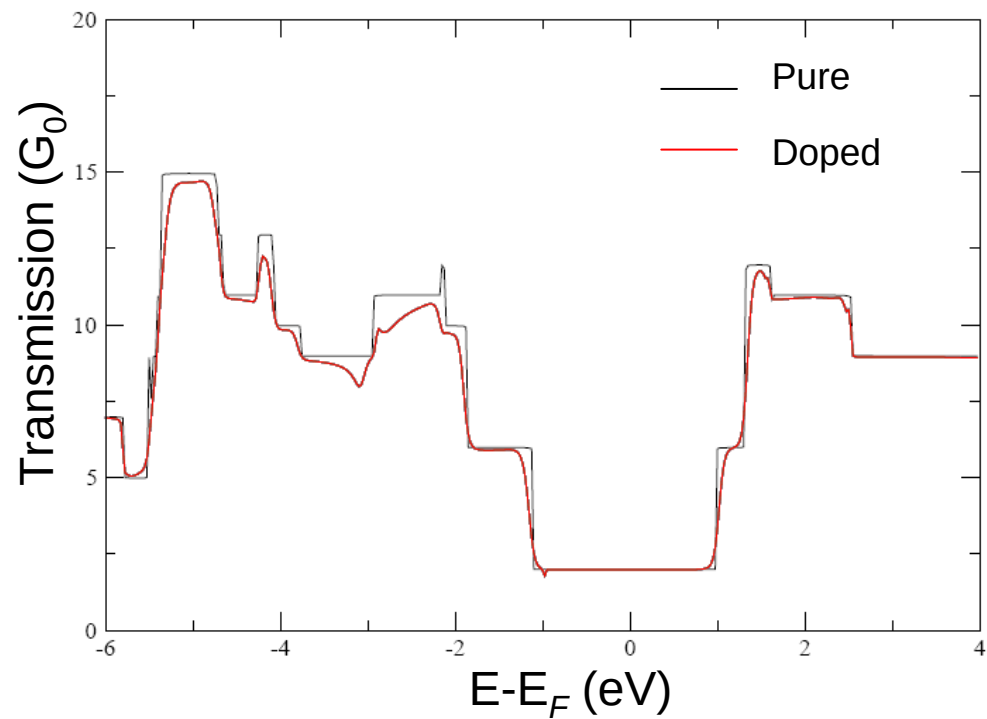
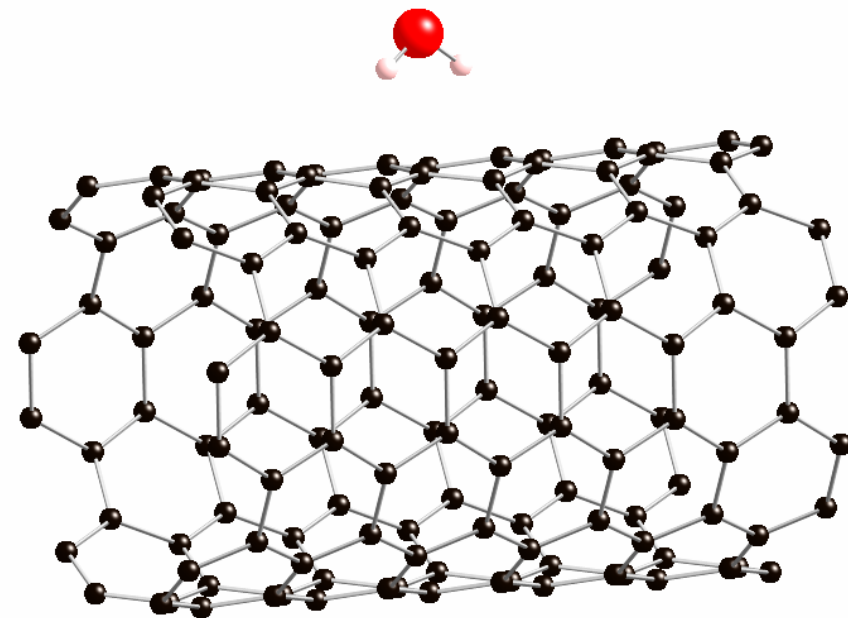


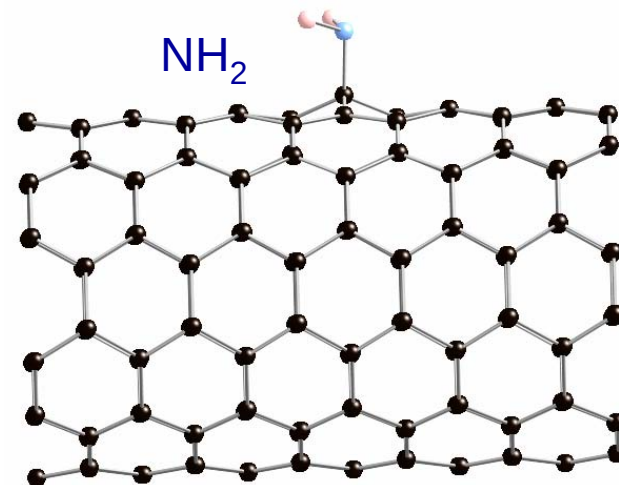
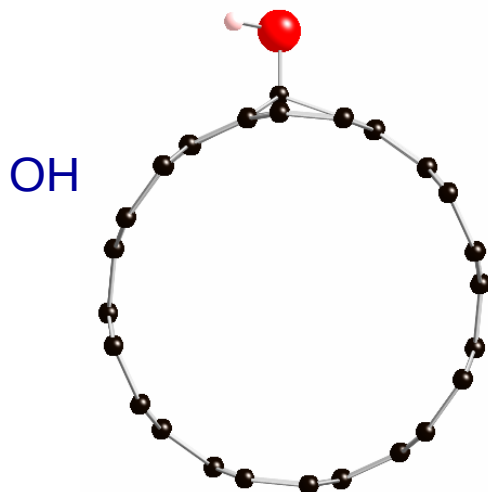
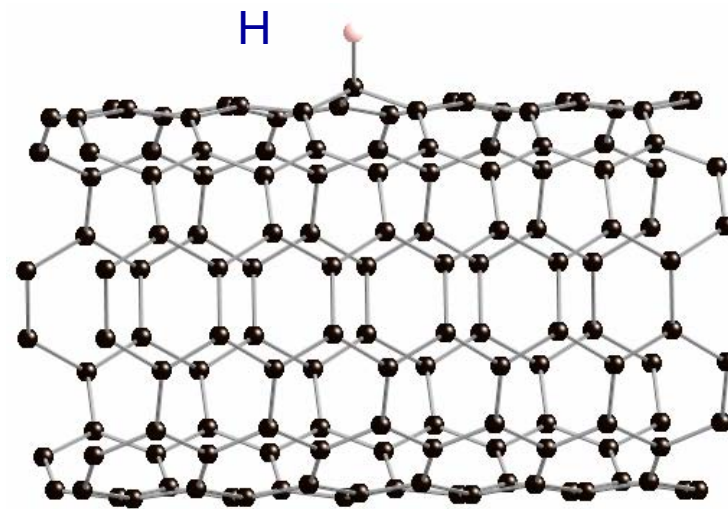
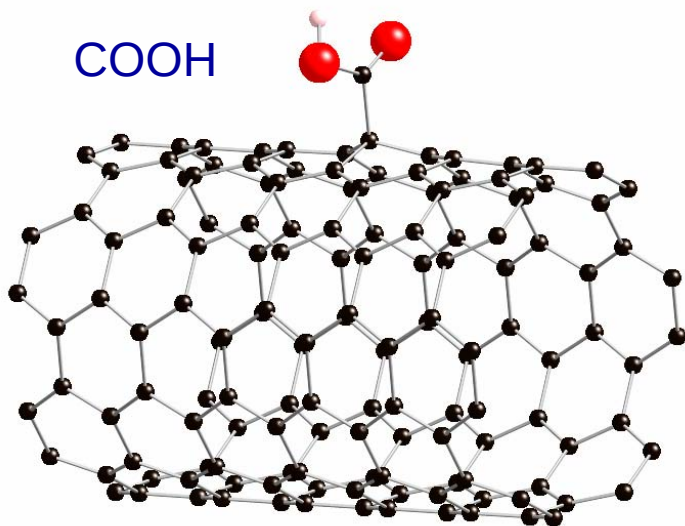
CO

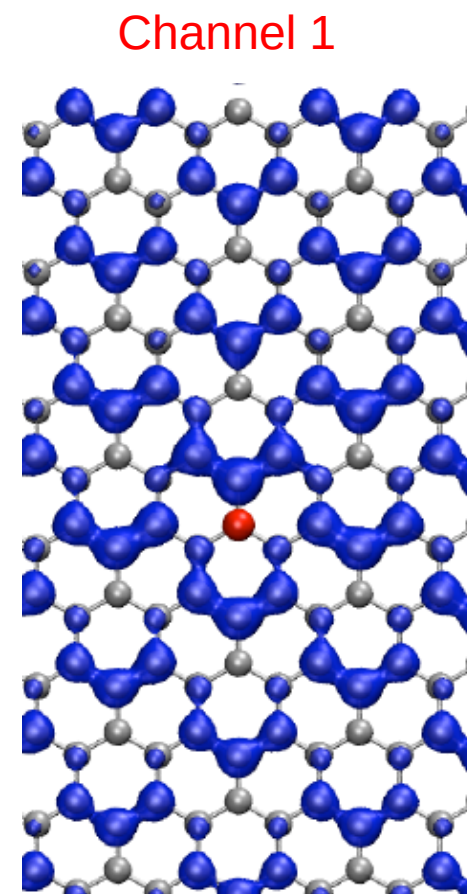
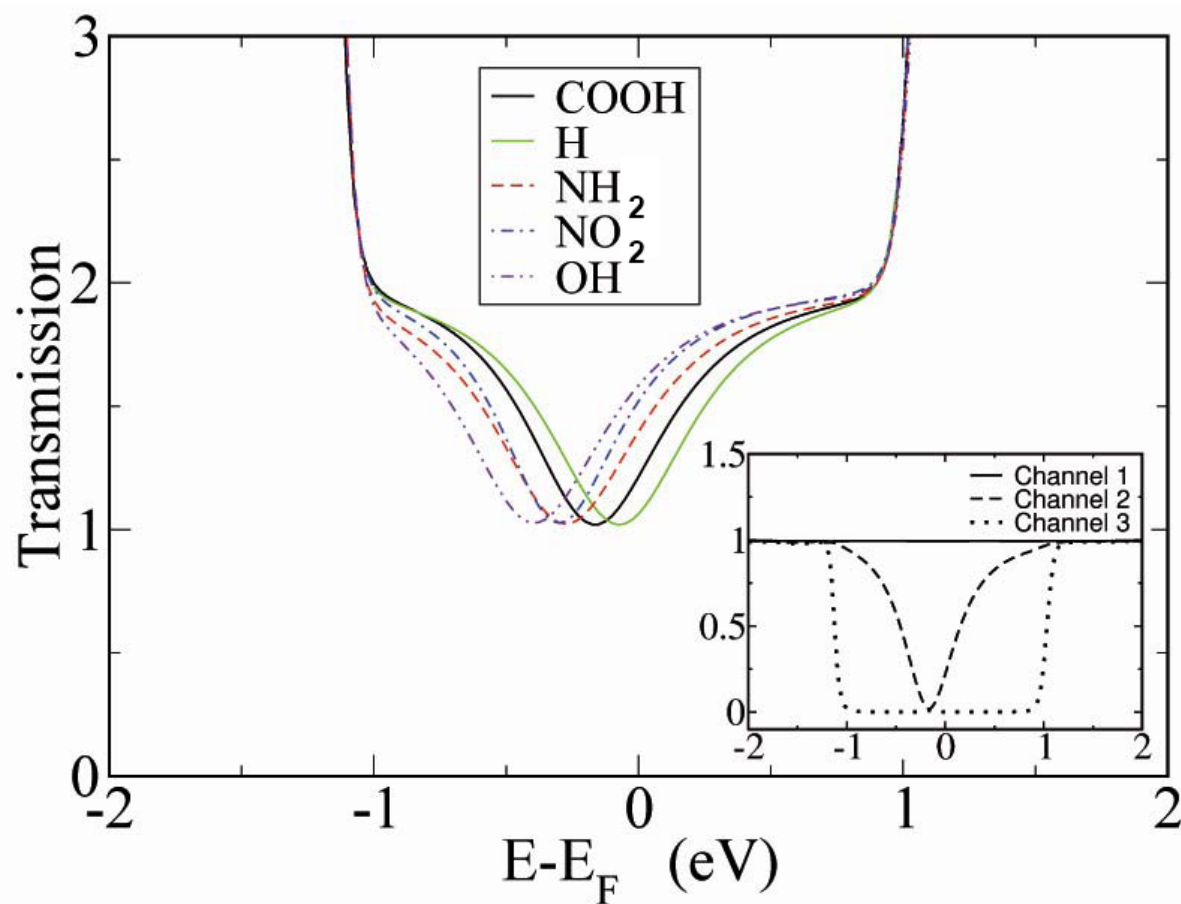




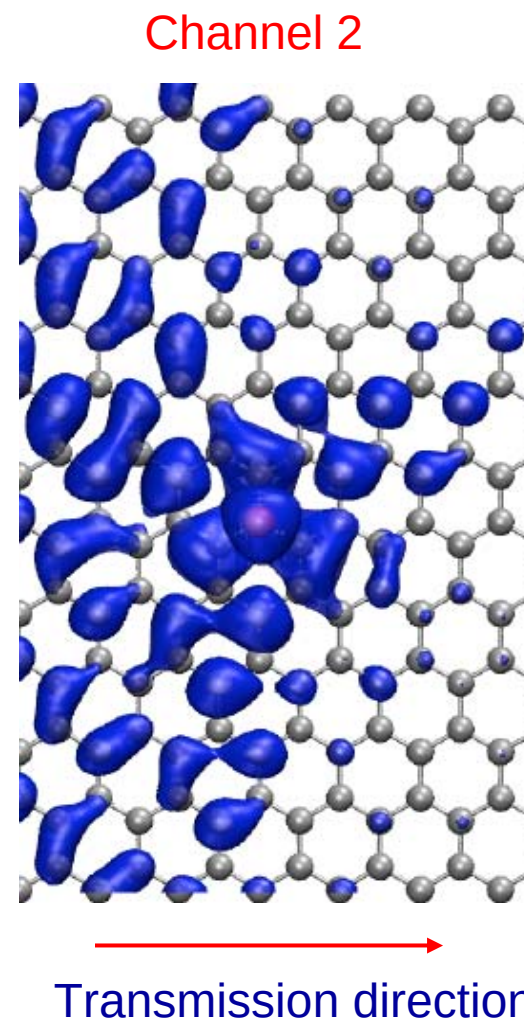
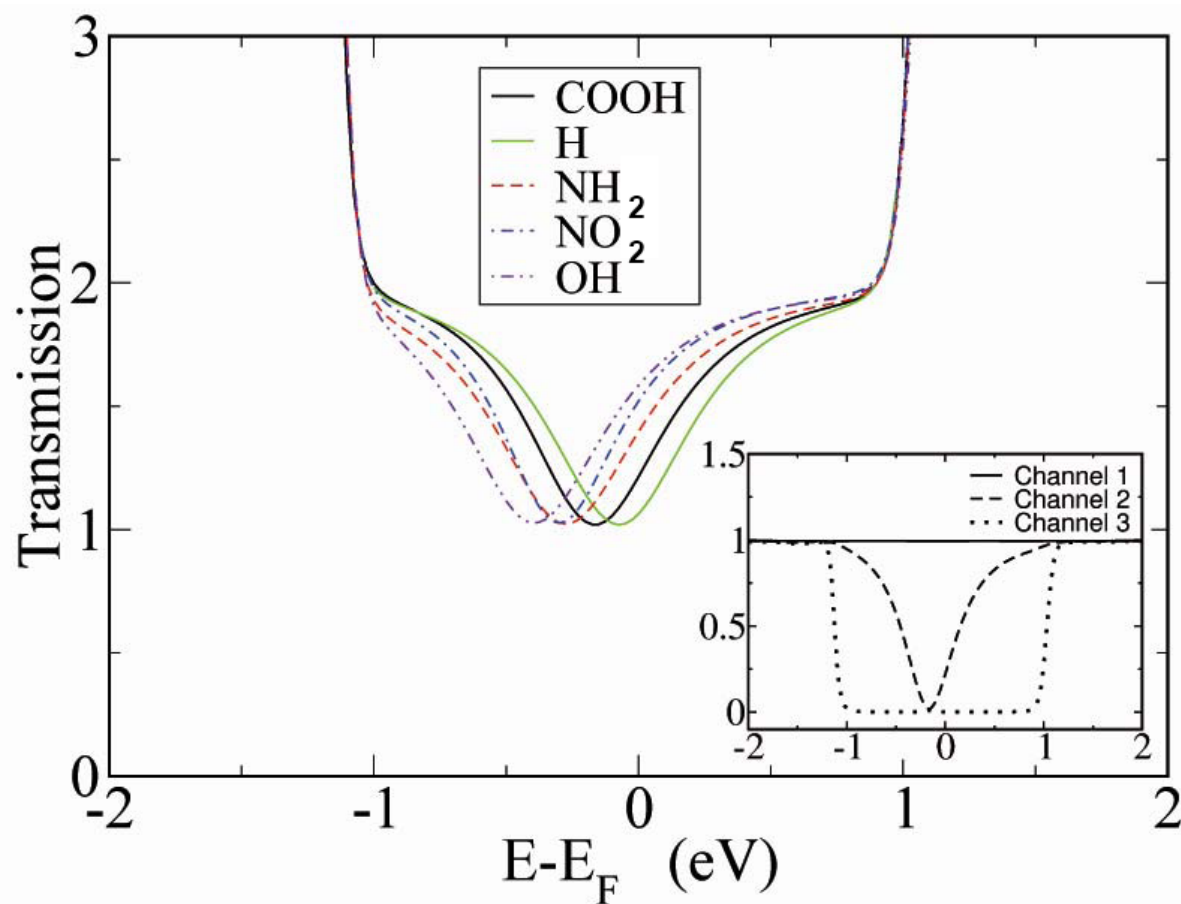
H_2O

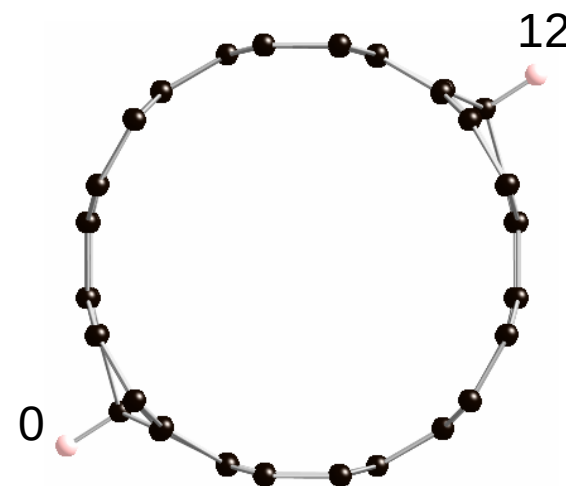
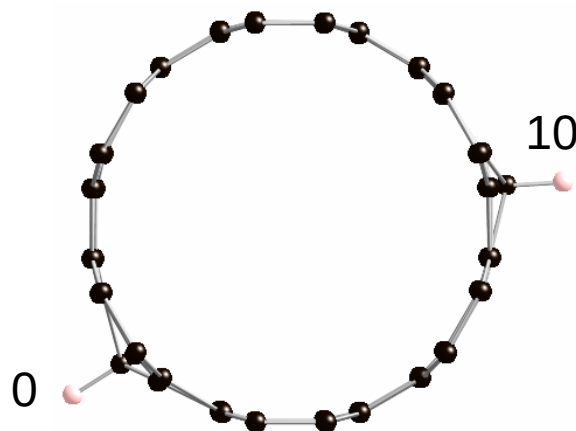
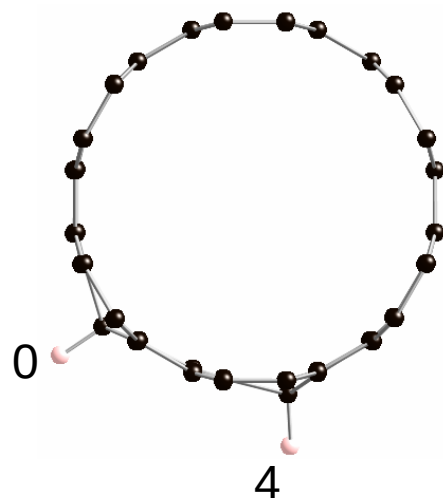
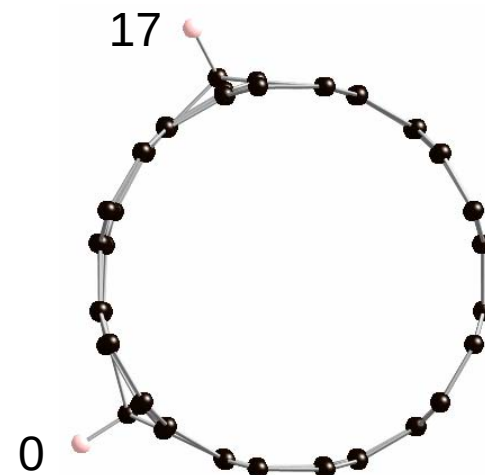
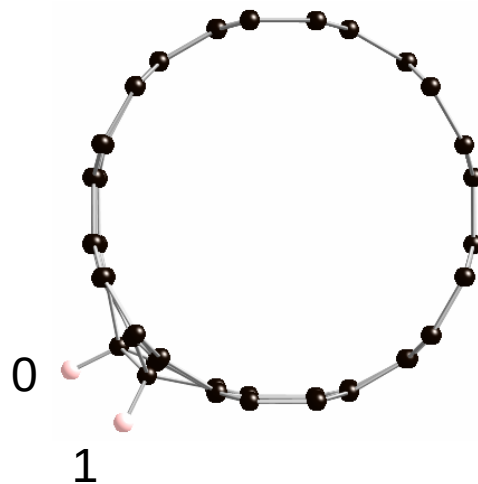
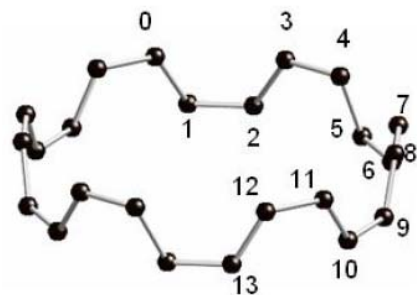


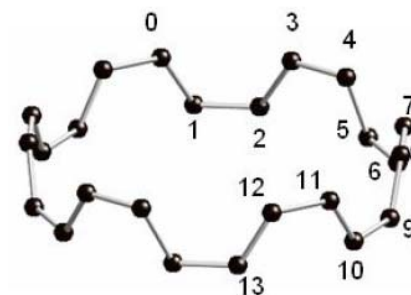
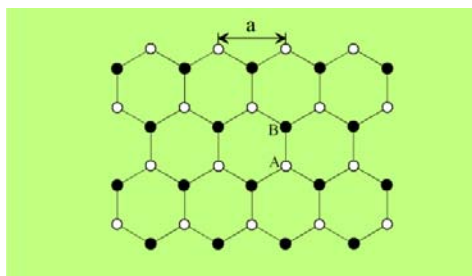
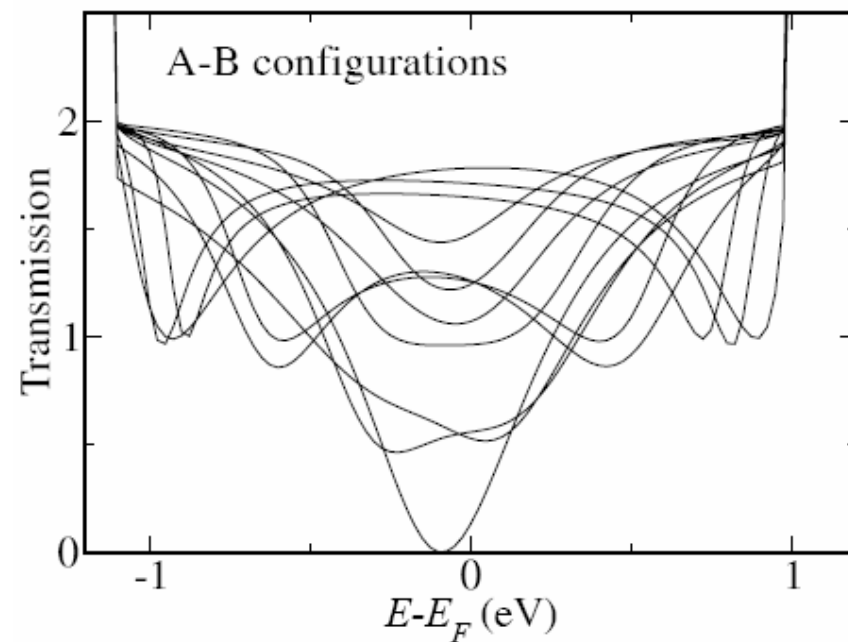
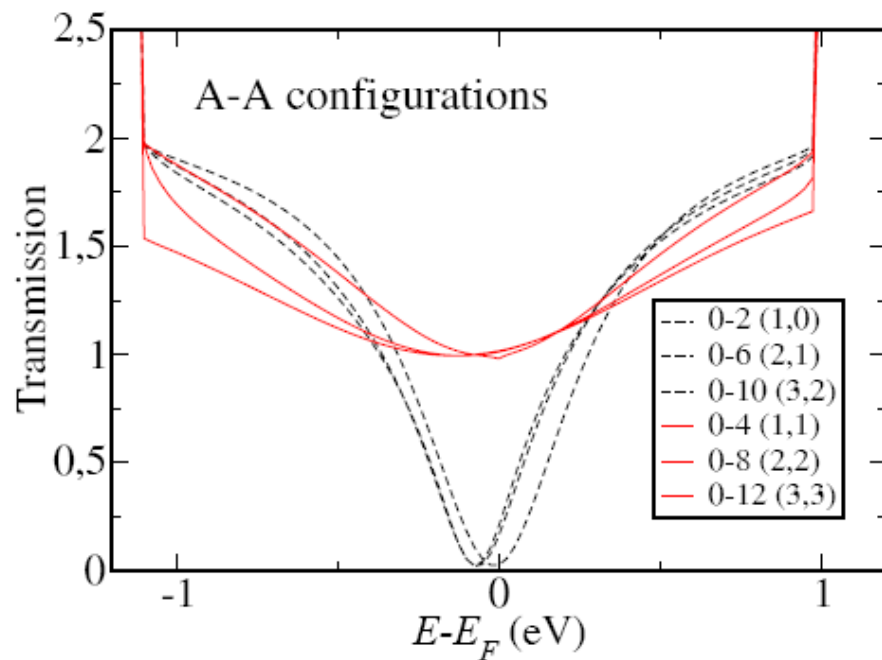




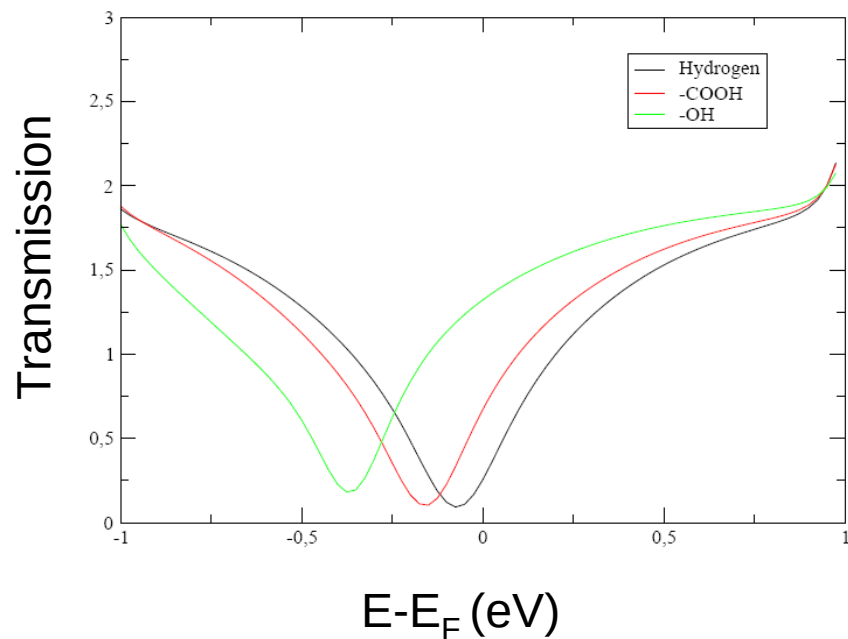
Transmission direction



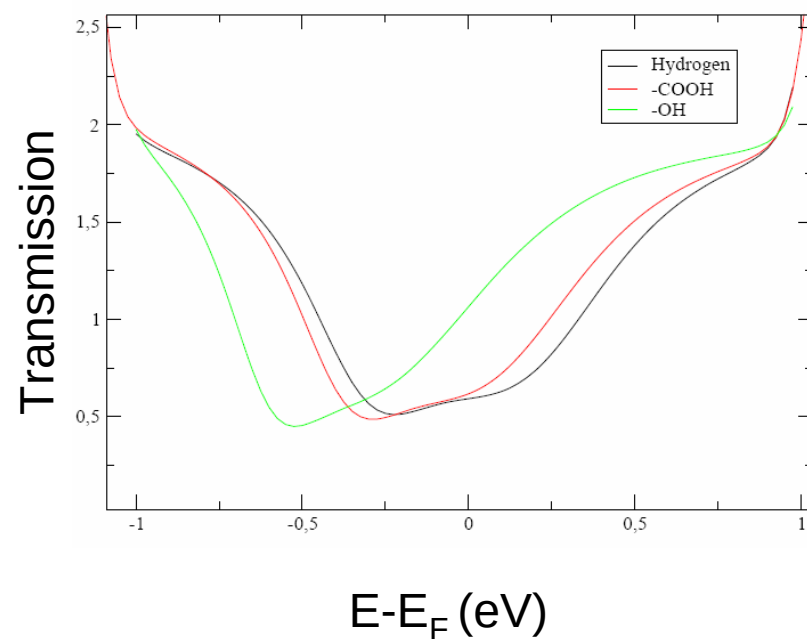




A-A (0-10) pairs



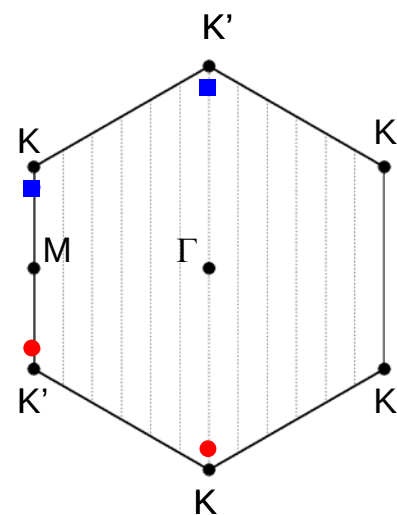
A-B (0-11) pairs



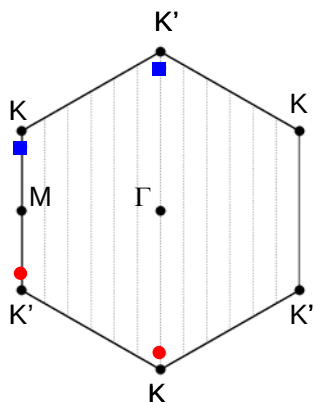
- 1) Physisorbed molecules do not affect the conductivity close to Fermi level
- 2) Chemisorbed molecules: One channel is cancelled
- 3) Universal behaviour for chemisorbed molecules
- 4) Two molecules: Transmission depends strongly on the relative position of the molecules

Tight-Binding Model

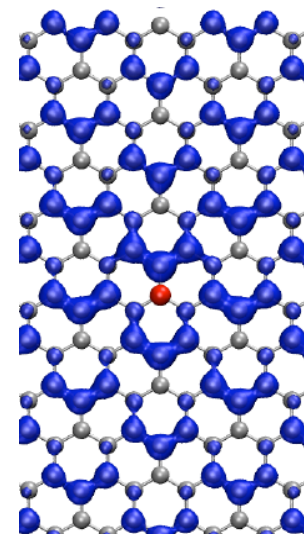
$$H = \begin{matrix} & |K_+> & |K'_-> & |K'_+> & |K_-> \\ \begin{pmatrix} 0 & 0 & 0 & 0 & t \\ 0 & 0 & 0 & 0 & t \\ 0 & 0 & 0 & 0 & t \\ 0 & 0 & 0 & 0 & t \\ t & t & t & t & \varepsilon_0 \end{pmatrix} \end{matrix}$$



	Eigenvalue	$ K_+>$	$ K'_->$	$ K'_+>$	$ K_->$	$ \epsilon_0>$
1)	0	0	1	0	-1	0
2)	0	-1	0	1	0	0
3)	0	-2	1	0	1	0
4)	E^+	t/ E^+	t/ E^+	t/ E^+	t/ E^+	1
5)	E^-	t/ E^-	t/ E^-	t/ E^-	t/ E^-	1



$$E^{\pm} = \frac{\epsilon_0 \pm \sqrt{\epsilon_0^2 + 16t^2}}{2}$$



$$H_1 = \begin{matrix} & |K_+> & |K'_-> & |K'_+> & |K_-> & & \\ \left(\begin{array}{cccccc} 0 & 0 & 0 & 0 & t & t \cdot f_1 \\ 0 & 0 & 0 & 0 & t & t \cdot f_2 \\ 0 & 0 & 0 & 0 & t & t \cdot f_3 \\ 0 & 0 & 0 & 0 & t & t \cdot f_4 \\ t & t & t & t & \varepsilon_0 & 0 \\ t \cdot f_1^* & t \cdot f_2^* & t \cdot f_3^* & t \cdot f_4^* & 0 & \varepsilon_0 \end{array} \right. \end{matrix}$$

$$f_1 = e^{-i\frac{2\pi}{3}(n-m)}$$

$$f_2 = e^{i\frac{2\pi}{3}(n-m)}$$

$$f_3 = s \cdot e^{-i\frac{2\pi}{3}(n-m+3m)}$$

$$f_4 = s \cdot e^{i\frac{2\pi}{3}(n-m+3n)}$$

$$H_2 = \begin{matrix} & |K_+> & |K'_-> & |K'_+> & |K_-> & & \\ \left(\begin{array}{cccccc} 0 & 0 & 0 & 0 & t & t \cdot f_1 \\ 0 & 0 & 0 & 0 & t & t \cdot f_2 \\ 0 & 0 & 0 & 0 & t & t \cdot f_3 \\ 0 & 0 & 0 & 0 & t & t \cdot f_4 \\ t & t & t & t & \varepsilon_0 & 0 \\ t \cdot f_1^* & t \cdot f_2^* & t \cdot f_3^* & t \cdot f_4^* & 0 & \varepsilon_0 \end{array} \right) \end{matrix}$$

$$f_1 = e^{-i\frac{2\pi}{3}(n-m)}$$

$$f_2 = e^{i\frac{2\pi}{3}(n-m)}$$

$$f_3 = s \cdot e^{-i\frac{2\pi}{3}(n-m+3m)}$$

$$f_4 = s \cdot e^{i\frac{2\pi}{3}(n-m+3n)}$$

1. When the second impurity is at an A site such that the relative distance R fulfils the condition:

$$R = n \cdot \vec{a}_1 + m \cdot \vec{a}_2, n - m = 3p, p \text{ being an integer}$$

all the f parameters are 1 and the corresponding eigenvectors of H_2 have the same form as those of H_1

2. If the second impurity is placed at an A site, but does not satisfy the condition all the eigenvectors are non-propagating.

3. If the second impurity is placed at a B site the form of the eigenvectors depend strongly on the actual adsorption site.

One and two molecules adsorbed is not enough for SANES project, but...

We have found a nice property that could be useful:

- Nanoswitches
- Memories
- Self-Assembly

Thanks for your attention!